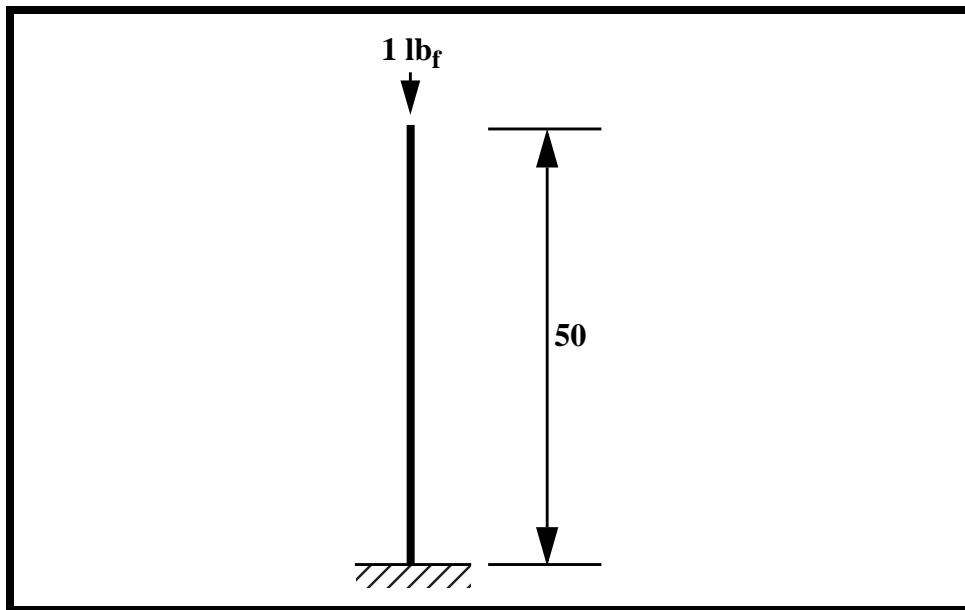

WORKSHOP 12

Buckling Analysis of a Cantilever Beam



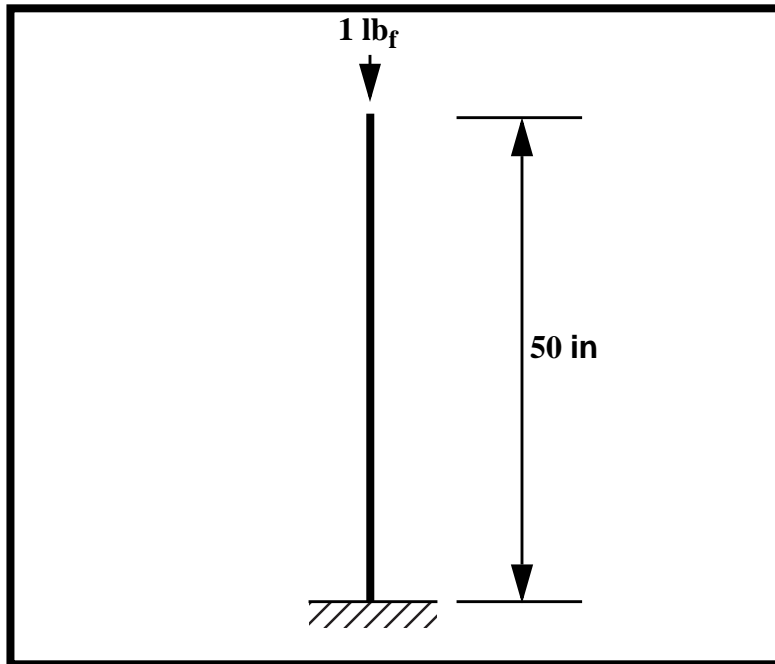
Objectives:

- Create the geometry for a cantilever beam.
- Load the beam axially.
- Set up and run a buckling analysis of the beam.



Model Description:

Below is a finite element representation of the axially loaded beam shown on the title page. The material and beam properties are listed below.

Figure 12.1 - Load Conditions**Table 12.1 - Material Properties**

Elastic Modulus:	10E6 psi
Poisson Ratio	0.3
Density:	0.101 lb/in³
Plate Thickness:	0.1 in
Bar cross sectional area:	1.525 in²
I_{aa}:	4.0568 in⁴
I_{bb}:	0.3343 in⁴
J:	0.0251 in⁴

Exercise Procedure:

1. Start up MSC/NASTRAN for Windows V3.0 and begin to create a new model.

Double click on the icon labeled **MSC/NASTRAN for Windows V3.0**.

On the *Open Model File* form, select **New Model**.

Open Model File:

New Model

2. Create a material called **mat_1**.

From the pulldown menu, select **Model/Material**.

Model/Material...

Title:

mat_1

Youngs Modulus:

10e6

Poisson's Ratio:

0.3

Mass Density:

0.101

OK

Cancel

3. Create a property called **prop_1** to apply to the members of the beam.

From the pulldown menu, select **Model/Property**.

Model/Property...

Title:

prop_1

Material:

1..mat_1

Elem/Property Type...

Change the property type from plate elements (default) to bar elements.

Line Elements:

Bar

OK

A:

1.525

<i>I1:</i>	4.0568
<i>I2:</i>	0.3343
<i>J:</i>	0.0251
OK	
Cancel	

4. Create the NASTRAN geometry for the beam.

Mesh/Between...

<i>Property:</i>	1..prop_1
<i>Mesh Size/ #Nodes/ Dir 1:</i>	11
OK	

	X:	Y:	Z:
<i>Corner 1:</i>	0	0	0

OK

	X:	Y:	Z:
<i>Corner 2:</i>	0	50	0

OK

Now, specify the orientation vector for the bar elements.

	X:	Y:	Z:
<i>Base:</i>	0	0	0
<i>Tip:</i>	1	0	0

OK

To fit the display onto the screen, use the **Autoscale** feature.

View/Autoscale

Rotate to an isometric view.

View/Rotate...

Isometric
OK

5. Create the model constraints.

Before creating the appropriate constraints, a constraint set needs to be created. Do so by performing the following:

Model/Constraint/Set...

Title:

constraint_1

OK

Now define the relevant constraint for the model.

Model/Constraint/Nodal...

Select **Node 1**.

OK

On the *DOF* box, select all 6 boxes.

<input checked="" type="checkbox"/> TX	<input checked="" type="checkbox"/> TY	<input checked="" type="checkbox"/> TZ
<input checked="" type="checkbox"/> RX	<input checked="" type="checkbox"/> RY	<input checked="" type="checkbox"/> RZ

OK
Cancel

6. Create the model loading.

Like the constraints, a load set must first be created before creating the appropriate model loading.

Model/Load/Set...*Title:*

load_1

OK

Now, define the 1 lbf axial force.

Model/Load/Nodal...

Select **Node 11**.

OK

Highlight **Force**.

FY

Force

-1

OK

Cancel

7. Run the analysis

File/Export/Analysis Model...*Analysis Format/Type:*

7..Buckling

OK

Change the directory to **C:\Temp**.

File Name:

buckling

Write

Number of Eigenvalues:

3

Additional Info: **Run Analysis**

OK

When asked if you wish to save the model, respond **Yes**.

Yes

File Name:

buckling

Save

When the MSC/NASTRAN manager is through running, MSC/NASTRAN will be restored on your screen, and the *Message Review* form will appear. To read the messages, you could select **Show Details**. Since the analysis ran smoothly, we will not bother with the details this time.

Continue

8. Look at the results to determine the first three eigenvalues.

Answer the following questions:

What are the first three eigenvalues?

Eigenvalue 1 = _____

Eigenvalue 2 = _____

Eigenvalue 3 = _____

(Hint - use **View/Select, Deformed and Contour Data, Output Set**)

$$P_{cr} = P_{applied} * \text{Eigenvalue 1}$$

$$= 1.0 \times 3299.412 = 3299.4 \text{ lb}$$

9. Theory.

Classic Euler:

$$P_{cr} = \frac{TL^2 EA}{\left(\frac{L'}{\rho}\right)^2}$$

$$L' = \frac{L}{\sqrt{C}} = \frac{50}{\sqrt{.25}} = 100$$

$$\rho = \sqrt{\frac{I}{A}} = \sqrt{\frac{0.3343}{1.525}} = 0.468$$

Thus,

$$P_{cr} = \frac{TL^2 (10e6)(1.525)}{\left(\frac{100}{0.468}\right)^2}$$
$$= \mathbf{3299.4 \text{ lb}}$$

This concludes the exercise.

<i>Eigenvalue 1</i>	3299.412
<i>Eigenvalue 2</i>	29696.69
<i>Eigenvalue 3</i>	33527.16

